THE ACTUAL SITUATION OF CSA-RING AND ITS BEAM TRACKING

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Abstract

The CSA (Compact Storage and Acceleration)-ring for FEL was projected in 1989. Its circumference is 15 m. The lattice of the CSA-ring is a double bend double achromatic type. Although the short circumference, it has two long variable straight sections for the undulator.

In 1991 August fabrication, the bending magnets were completed and their magnetic field strength was mesured. In this paper, we present the design and the characteristics of the ring. Measured distribution of magnetic field and results of beam tracking are also reported.

Introduction

Recently some large electoron synchrotrons for SR have been built or projected in many reserch institutes in the world. On the other hand, small storage rings with laboratory size, have become also more attractive gradually.

Consequently, we designed the CSA-ring for FEL as a "4th generation" SR-ring, and an undulator as an insertion device for the ring was completed in 1989. Then, spontaneous-emitted light (595nm) from the undulator by using a 145MeV electoron linac was detected in 1991[1].

Basic design of CSA-ring

As shown in Fig. 1, the feature of the CSA-ring is race track shape. The magnetic lattice is double bend double achromatic and low emittance type. The ring was designed by the following basic concepts.

- (1) There are two long straight sections for insertion devices such as undulators
- (2) The length of straight sections is variable in order to follow that of the undulator.
- (3) Dispersion free at straight section.
- (4) The beam is focused at straight section.
- (5) Low emittance, small energy dispersion.
- (6) Compact size for limitted spaces.

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M1

Characteristics of the CSA-ring

Main parameters of the CSA-ring are shown in table 1. The ring as a light source has the following characterisitics:

- (1) The light wave length is variable by changing beam energy, or undulator gap.
- (2) The intensity and the spot of lasor are variable by changing the strength of the Q-magnets.
- (3) Even the case with the beam sent from puls electoron linac, it is possible to improve its intensity and quality.

Table 1 Machine parameters of CSA-ring

				1
	BEAM ENERGY (MAX ENERGY	')	150 (330) MeV	
	CIRCUMFERENCE		15 m	
	AVARAGE RADIUS	R	2.39 m	
	BENDING MAGNET	No.	4	
		RADIUS	0.6 m	
		FIELD STRENGTH	8.33(17.0)kG	
	QUADRPOLE MAGNET	No.	10	
		LENGTH	0.18 m	
		FIELD GRADIENT	0.33, -0.37	
			0.62 kG/cm	
	LONG STRAIGHT SECTION	No.	2	
		LENGTH	2.43 m	
	BETATRON NUMBER	ν_{x}	~2.25	
		νy	~1.35	
	RF FREQUENCY		100 MHz	
	RF VOLTAGE		$\geq 20 \text{kV}$	
	HARMONIC NUMBER		5	
	MOMENTUM COMPACTION FACTOR RADIATION LOSS		0.11	
			8.2×10 ⁻² keV	
	PRESSURE		1.0×10 ⁻⁹ Toor	
	RADIATION DUMPING TIME	τ_{x}	0.34 s	
		$\tau_{ m Y}$	0.18	
		$ au_{E}$	0.51	
	NATURAL EMITTANCE	εx	2.18 \times 10 ⁻⁷ mrad	
		ε _γ	2. 20×10^{-8}	
	BEAM CURRENT		≧200 mA	
I	BEAM LIFE TIME		≧45 min	
I				



Lattice of the CSA-ring

The lattice of the ring was designed with the SYNCH program. Beam optical functions are shown in Fig. 2. Fig. 3 shows a results of tracking calculations in Horizontal phase space after injection.



Fig. 2 Betatron and energy dispersion functions of one cell



Design of the bending magnets

Since one of the basic concepts of the CSA-ring is its compact size, then the bending magnets have been designed to be as smoll as possible. The structure of the bending magnet is illustrated in Fig. 4,5,6 and 7.

The bending magenet is the C-shaped type and its deflection angle is 90°. The height is 500mm and the gap width is 26mm. The heihgt of the sim is 0.4mm. The end of each pole piece is cut along Rogowski's curve.



Fig. 4

Plane view

(kG) Fig. 7 Pole end 15 Mesurement of bending magnet 10 Measured field distributions of bending magnets is plotted The in Fig. 8, 9, 10. good field regionwidth 5 $(\Delta B/B \leq 1/1000)$ is about 30mm. The effective lengthis about 9mm at 1 T, which is about

n

n

7mm shorter than the

expected one.



50

cal.

100

meas.

(A)



Fig 9 Distribution of Bz in bending magnet



Fig 10 Distribution of B_z at an end of the york

Fig. 5 Cross sectional view

Beam tracking of CSA-ring

As well known, there are some design programs for synchrotorns, such as SYNCH. These computer code, however are not appliable to small storage rings. Because of the spread of ten meters order circumference rings, the necessities of new programs for beam tracking in small ring have been gradualy recognized.

In existing programs for small rings, matrix method or numerical integration method in calcurating the part of bending magnets. The former is an aproximation. The latter alwa ys suffers fromnumerical errors.

Then we have developed a beam tracking code in phase spase by using geometrical method (Fig. 11). The phase space at the center of straight section are illustrated in Fig. 13. Betatron tunes caluculated are shown in table 2. We see defferences between design values and the matrix method. this discripacy is caused by change in the effective length.



 $Y = Xk \qquad b^2 = X^2 + Y^2$ $a^2 - b^2 + 2 \arccos \theta_1$

$$\cos\theta_2 = \frac{a^2 - b^2 + 2ar\cos\theta}{2br}$$

Fig. 11 2-dimensional geometrical method

Table 2 Comparision of betatron tunes

	DESIGN	MATRIX METHOD	GEOMETRICAL METHOD
νx	2.25	2.24	2.21
νγ	1.35	1.37	1.37



Fig. 12 Tune diagram of CSA-ring





Conclusion

The lattice of the CSA-ring was designed with SYNCH program. So far four bending magnets were completed and their magnetic field distributions were musured. Phase space at the center of straight section was calcurated with 2-dimentional geometrical method. Also betatron tunes were obtained from this numerical method.

Future of the CSA-ring project

We have already developed 3-dimensional geometrical method. We are planning to calcurate betatron tunes more exactly by using this method. An plane view of the system shown in Fig 14.



Refference

 Y. Takahashi, T. Hattri, Y. Ishii, M. Okamura, T. Hirata, H. Muto, Y. Honda, F. Fujimoto and K. Yoshida; Proc. 16th Meeting on Linear Accelerator, P61 (1991)